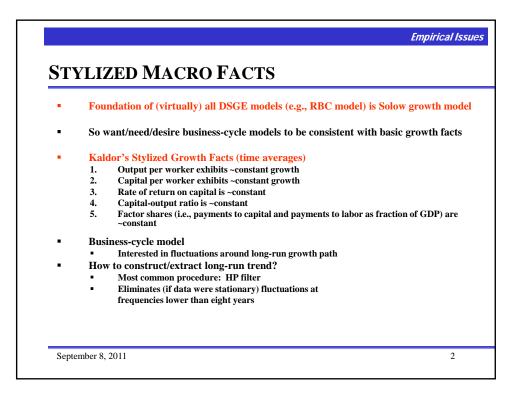
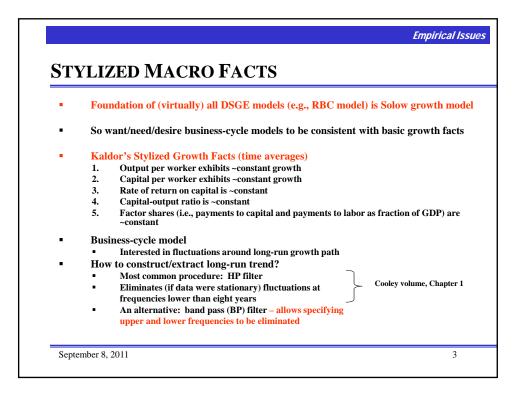
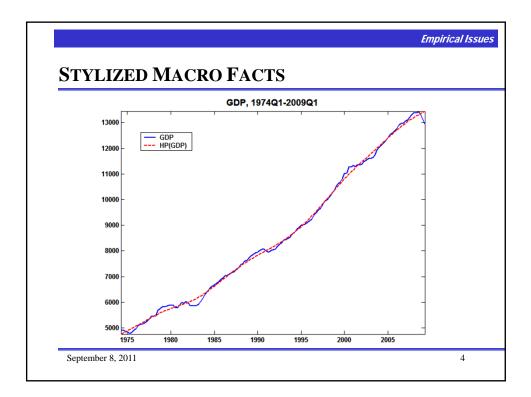
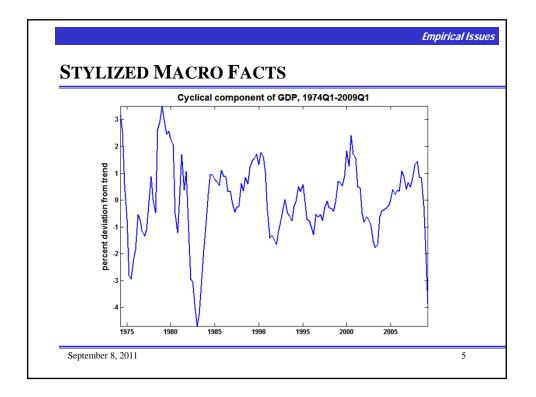
THE BASELINE RBC MODEL: THEORY AND COMPUTATION

SEPTEMBER 8, 2011

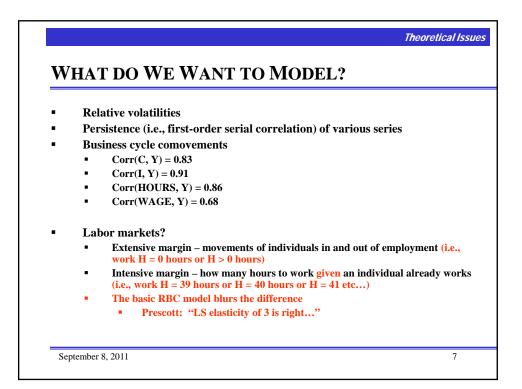




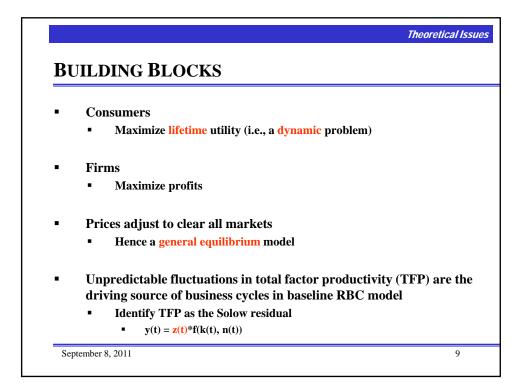


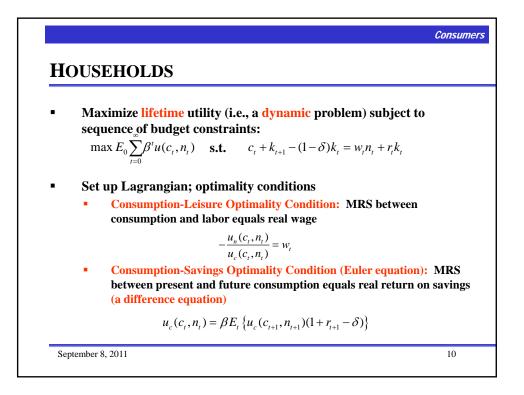


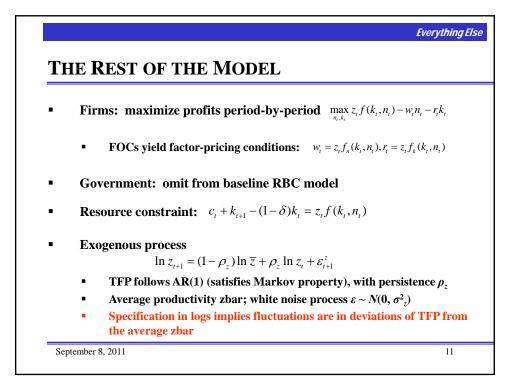
ГY	YLIZED MACRO FAC	ГS
	Kaldor's Stylized Facts:	
	1. Output per worker exhibits ~consta	ant growth
	2. Capital per worker exhibits ~consta	ant growth
	3. Rate of return on capital is ~consta	nt
	4. Capital-output ratio is ~constant	
		ital and payments to labor as fraction of GDP) a
	~constant	
		6 (i.e., time-series SD of HP-filtered compo
	Some basic cyclical volatilities – SD%	6 (i.e., time-series SD of HP-filtered compo C: 1.16% (1974Q1-2009Q4) CNDUR: 1.05%
		C: 1.16% (1974Q1-2009Q4)
	Some basic cyclical volatilities – SD%	C: 1.16% (1974Q1-2009Q4) CNDUR: 1.05% CSERV: 0.74%

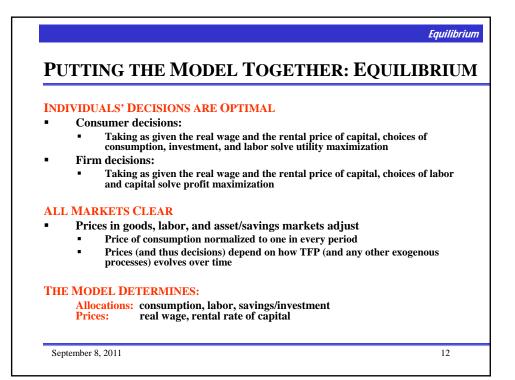


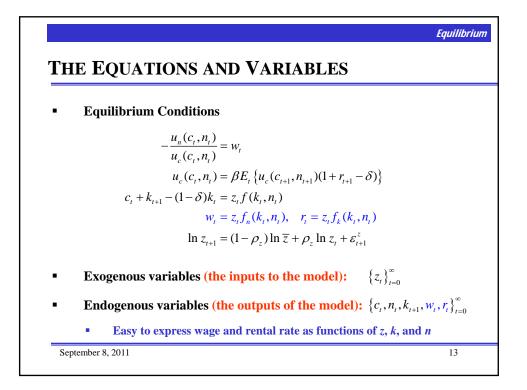
TI	HE THREE MACRO MARKETS	
-	Goods Market(s)	
•	Labor Market(s)	
•	Asset/Savings Market(s)	
	Consumers	
	 Demand goods 	
	 Supply labor 	
	 Supply assets/savings 	
•	Firms	
	 Produce goods 	
	 Demand labor 	
	 Demand assets/savings (capital) 	
	Government: auxiliary in the basic model	

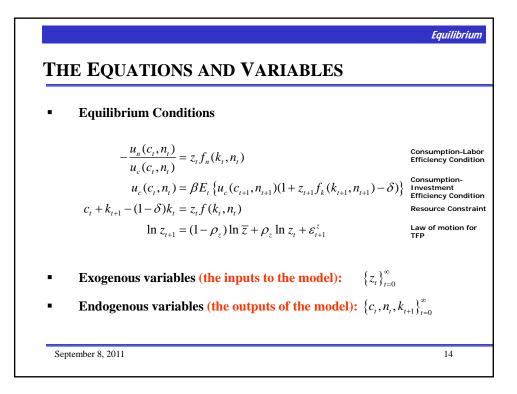


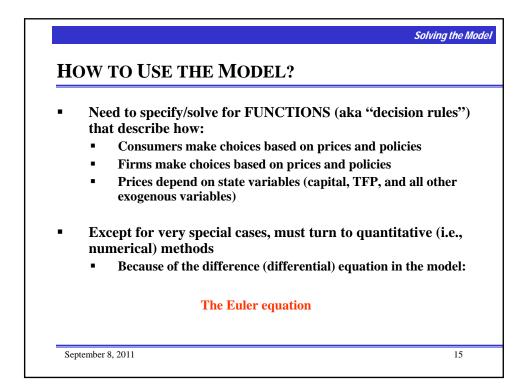




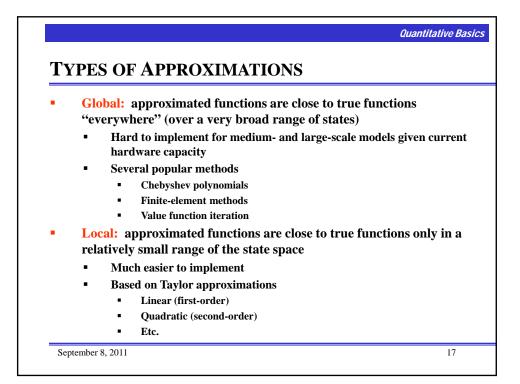


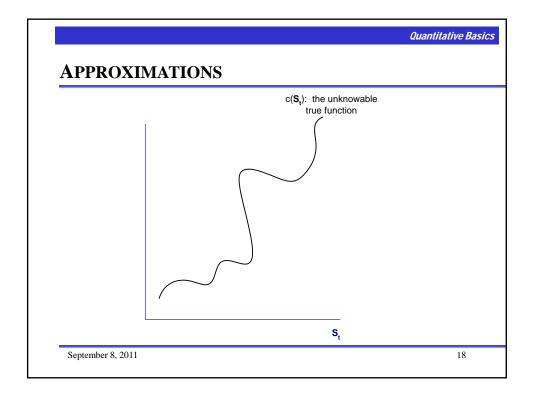


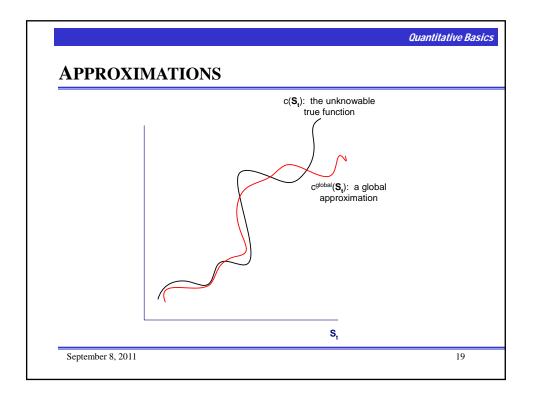


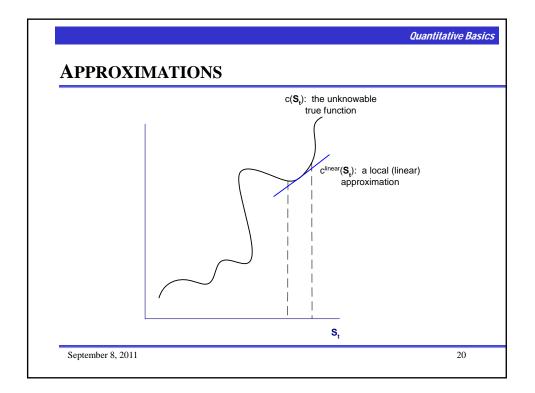


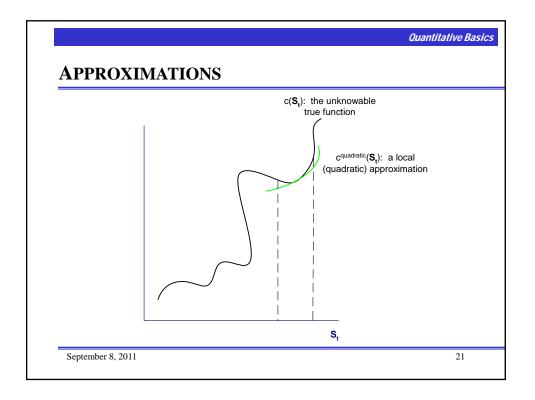
Δτ	PPR	OXIMATIONS			
•	Looking for an equilibrium in which endogenous variables are time-				
	invariant functions of the state of the model $\mathbf{S}_t = [k_t; z_t]$				
	•	State describes the dynamic position of the model			
	•	So looking for $c(S_t), n(S_t), k(S_t)$			
•	Car	nnot solve difference equations analytically in general			
	•	These solutions are unknowable in general			
	•	Hence need to approximate – so look for			
		$c^{approx}(\mathbf{S}_{t}), n^{approx}(\mathbf{S}_{t}), k^{approx}(\mathbf{S}_{t})$			
		which are hopefully near the (unknowable) truth			

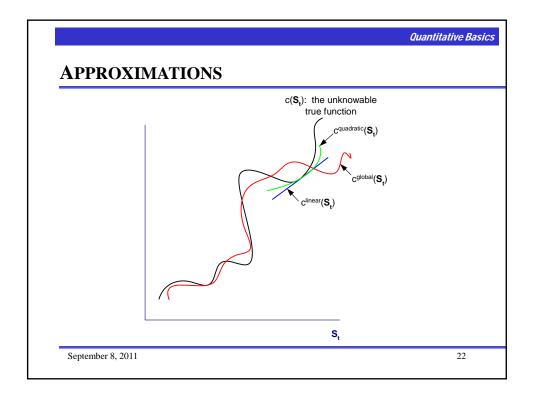


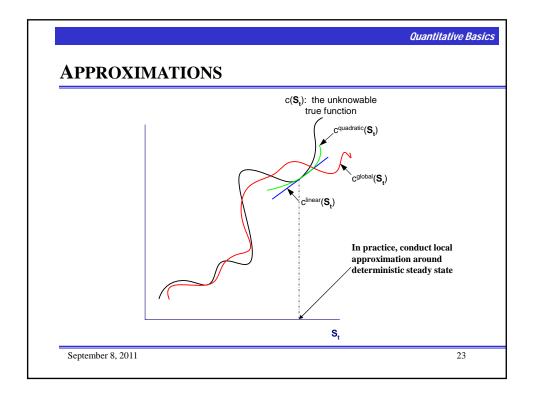












51	YEADY STATE
	Shut down all shocks and set exogenous variables at their means
ı	Let model economy run for many (infinite) periods
	 Time eventually "doesn't matter" any more
	Drop all time indices
	$-\frac{u_n(c,n)}{u_c(c,n)} = \overline{z} f_n(k,n)$
	$u_c(c,n) = \beta u_c(c,n)(1 + \overline{z} f_k(k,n) - \delta)$
	$c + \delta k = \overline{z} f(k, n)$
I	(<i>c</i> , <i>n</i> , <i>k</i>) is a triple of scalars that are the steady state (aka long run) outcomes of the model economy
	 Given functional forms and parameter values, solve for (c, n, k) Conduct local approximation around this point